

Physics Design of NCSX

M.C. Zarnstorff, L.-P. Ku, D. Mikkelsen, D. Monticello, A. Reiman
Princeton Plasma Physics Laboratory

S. Hirshman, E. Lazarus, D. Spong
Oak Ridge National Laboratory

and the NCSXTeam

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Compact stellarators offer novel solutions for confining high- β plasmas for magnetic confinement fusion, combining the advantages of the advanced tokamak with the external control and disruption resilience of the stellarator. The configurations developed for NCSX have a low aspect ratio (3 - 4) and passive stability to the ballooning, low- n external kink, vertical, and neoclassical tearing instabilities, without a conducting wall or active feedback. The plasma shape has high average elongation and triangularity. The 3D shape produces monotonically increasing rotational transform profile and is optimized to produce a quasi-axisymmetric magnetic field for good orbit confinement. A range of such configurations are studied with beta limits as high as 7% and as much as 80% of the magnetic transform generated by the coils. The goal of an experiment using these configurations would be to study the beta limit and disruption resilience. Self-consistent transport simulations of the accessible β range will be presented for both neutral-beam (including fast-ion losses) and ICRF heating.

The NCSX Design Team

R. D. Benson, ORNL	A. Grossman, UCSD.	J. F. Lyon, ORNL	M. H. Redi, PPPL
L. A. Berry, ORNL	P. Heitzenroeder, PPPL	R. Majeski, PPPL P.	W. T. Reiersen, PPPL A.
A. H. Boozer, Columbia U.	S. P. Hirshman, ORNL	Merkel, IPP-Greifswald	H. Reiman, PPPL
A. Brooks, PPPL	W. Houlberg, ORNL	M. Mikhailov, Kurchatov	P. Rutherford, PPPL
T. G. Brown, PPPL	S. Hudson, PPPL	D. Mikkelsen, PPPL	R. Sanchez, Spain
M. Cole, ORNL	M. Isaev, Kurchatov	W. Miner, U. Texas	J. A. Schmidt, PPPL
W. Cooper, CRPP	W. Kernbichler, Austria	P. Mioduszewski, ORNL	D. A. Spong, ORNL
M. Drevlak, IPP-Greifswald	C. E. Kessel, PPPL	D. A. Monticello, PPPL	P. Strand, ORNL
E. Fredrickson, PPPL	S. Knowlton, Auburn	H. Mynick, PPPL	D. Strickler, ORNL
G. Y. Fu, PPPL	L.-P. Ku, PPPL	G. H. Neilson, PPPL	P. Valanju, U. Texas
A. Georgievskiy	H. Kugel, PPPL	B. E. Nelson, ORNL	R. B. White, PPPL
R. J. Goldston, PPPL	E. Lazarus, ORNL	C. Nührenberg, IPP-G.	D. A. Williamson, ORNL
P. Goranson, ORNL	Z. Lin, PPPL	A. Pletzer, PPPL	M. C. Zarnstorff, PPPL
	J. Lewandowski, PPPL	N. Pomphrey, PPPL	

In collaboration with Laboratories at
Auburn, Columbia, NYU, LLNL, ORNL, PPPL, UCSD, Texas-Austin,
Wisconsin
Austria, Germany, Switzerland, Russia, Japan, Australia, Spain

Outline

- Motivation
- Configuration Design
- Configuration Characteristics
 - Stability, Transport, Flux surface quality
- Coil Design & Flexibility

Compact Stellarators Offer Innovative Solutions

Can combine the best features of Stellarators and Advanced Tokamaks

- **Stellarators:** *Externally-generated helical fields, low recirculating power, typically disruption free.*
- **Advanced tokamaks:** *Excellent confinement, low A – high power density, bootstrap current*
- **Compact Stellarators:** *Use 3D shaping flexibility to combine best features*

Advances in Theory and Numerical Design Capability $\Rightarrow$ Compact Stellarators

- 3D shaping to passively stabilize external kink, vertical, neo-tearing, ballooning
 - expand safe operating area to $\beta \geq 4\%$,
without need for conducting walls or feedback systems
 - prevent disruptions?
- Good confinement. Quasi-axisymmetry to close drift-orbits, allow plasma flow
- Aspect ratio: ~ 4
- Steady state without current drive.

NCSX Physics Opportunities & Goals

- Understand role of external transform & 3D shaping in disruptions
- Understand role of kink- and ballooning modes in beta-limit
 - tokamak-like vs. toroidally localized ballooning
- Test quasi-axisymmetric reduction of neoclassical transport. Understand induced flow-damping.
- Understand turbulence in quasi-symmetric configuration. Effect of quasi-symmetry and E_r on confinement, ability to induce enhanced confinement
- Understand neoclassical-island stabilization using externally imposed islands
- Understand Alfvénic-modes in 3D geometry
- Understand effect of 3D shaping and flux-surface topology on edge

Method: Design for High β

- Plasma shape and coils are designed for desired properties at $\langle\beta\rangle \sim 4\%$, including effect of bootstrap current
- Most stellarator designs have been optimized without net plasma current, coils designed for vacuum configuration
- Required substantial tool development
 - Coil optimization including plasma currents
 - Improved 3D equilibrium codes – PIES and VMEC
 - Kink and ballooning stability calculations inside optimizer
 - Transport and bootstrap calculations inside optimizer
 - Approximate coil design inside optimizer

See A. Reiman et al., Invited Talk Thursday, UI1.001

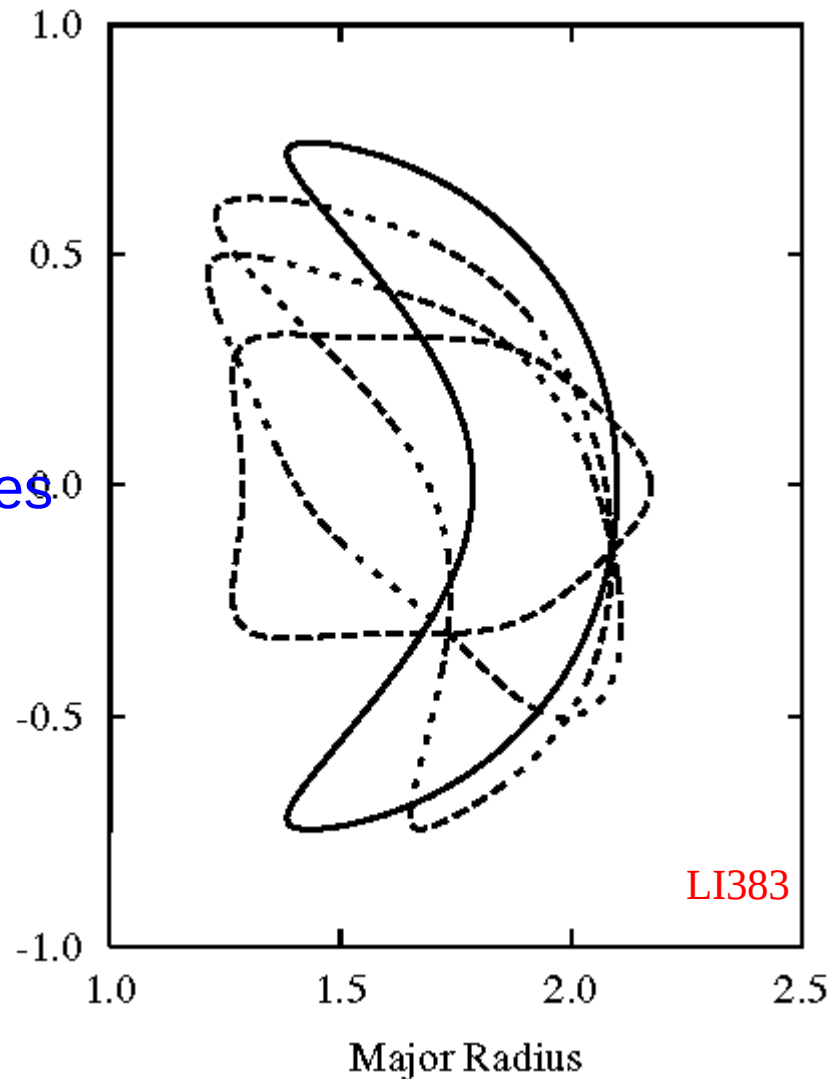
Wide Range of 3D Configurations Has Been Explored

(many useful discussions with P. Garabedian & J. Nuehrenberg)

- Aspect ratio, A : 3 – 5
- Average elongation up to 3 (exploiting robust vertical stability)
- Vacuum magnetic well
- Edge iota $\iota(a)$: 0.47 – 0.78 ($q(a)$: 1.3 – 2.1)
- External transform fractions at β -limit: 50 – 80%
- 2, 3, 4 periods
- Major distinguishing characteristics:
flux-surface quality, coil $J_{\max}$, fast ion confinement
- Attractive design configurations have been identified
→ Basis for NCSX Design

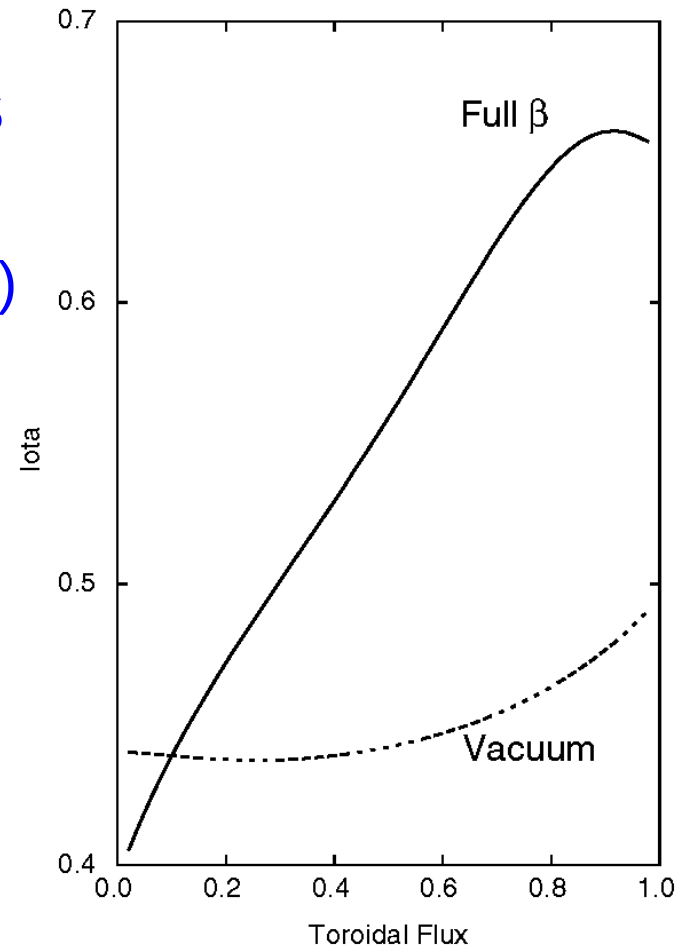
New Attractive Configuration

- 3 periods, $\langle A \rangle = 4.4$, $\langle \kappa \rangle \sim 1.7$
 <indented>
- Stable to ballooning, kink, vertical, Mercier at $\beta = 4.1\%$
- Limited by ballooning, thus should be able to optimize profiles
- Reduced coil complexity
- Iota: $0.4 \rightarrow 0.65$
 $\sim 2/3$ from external coils
 neoclassical-tearing stable



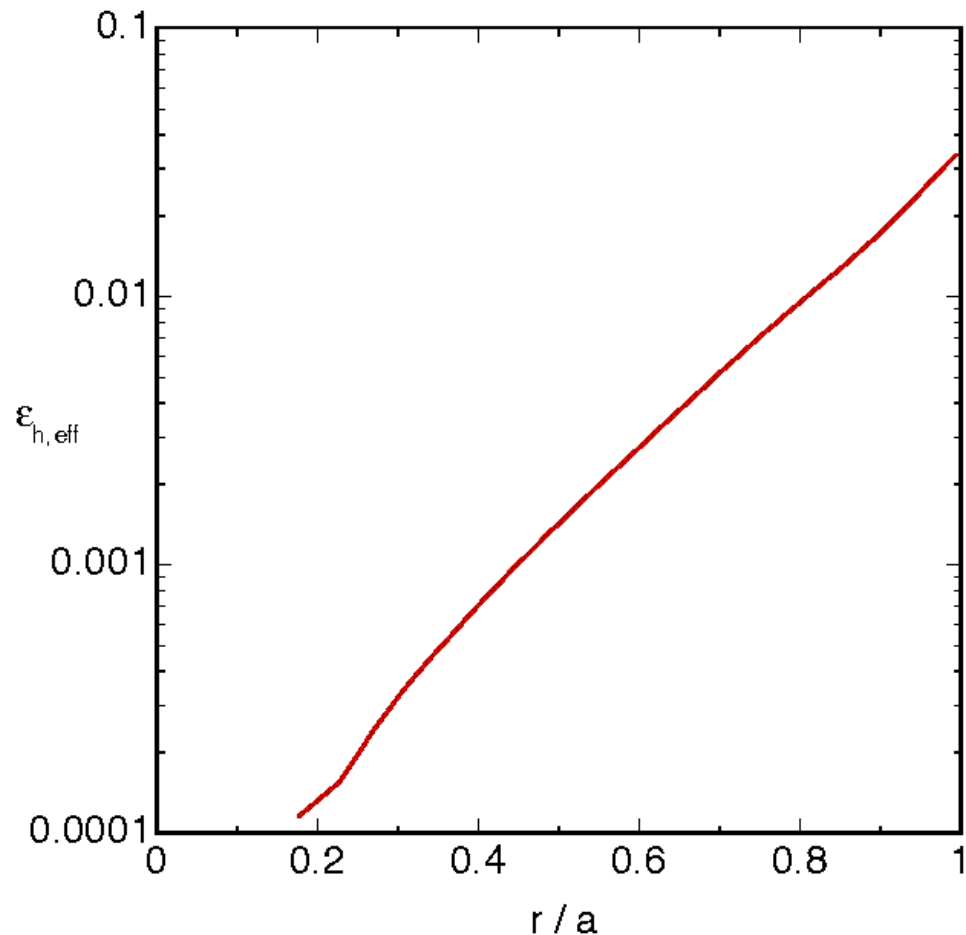
Full β configuration: iota crosses $\frac{1}{2}$

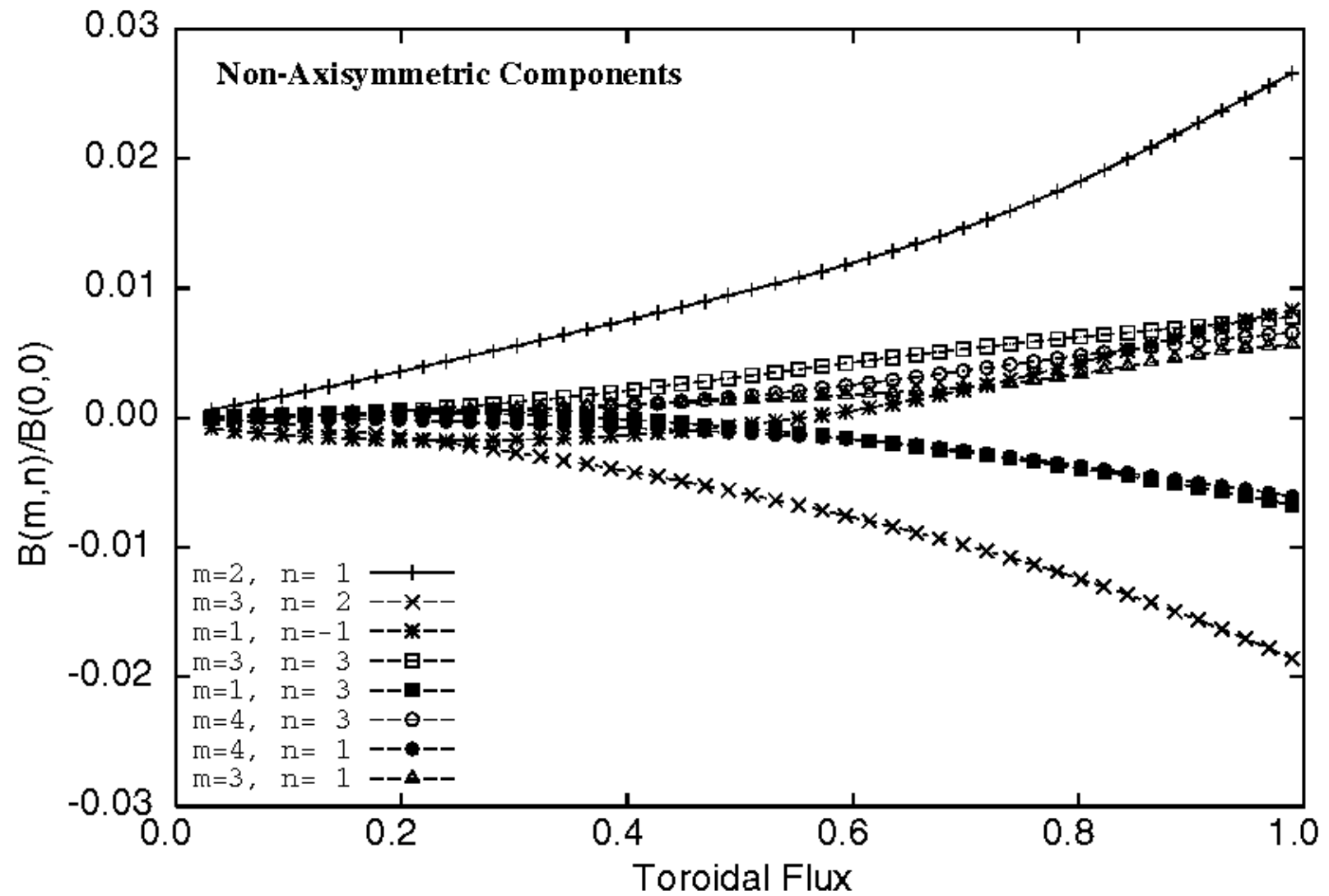
- Full- β , full current iota crosses $\frac{1}{2}$
 - Can produce disruptions in W7-AS when crossing near edge
- Δ' calculations (Knowlton, Fredrickson) (cylindrical approx.) indicate very small islands could form (3.5% of radius)
- Vacuum iota everywhere below $\iota = \frac{1}{2} \Rightarrow$ edge will pass thru $\frac{1}{2}$ ($q=2$) during ramp up, may be disruption prone
- Flexibility studies: can avoid this by starting with vacuum iota $> 1/2$



Quasi-Axisymmetric: Low effective ripple

- ϵ_{eff} from NEO code by Nemov-Kernbichler
- In $1/\nu$ regime, neoclassical transport scales as $\epsilon_{\text{eff}}^{3/2}$
- Edge $\epsilon_{\text{eff}} \sim 3.4\%$
- Allows counter-inj. NBI
- $\iota > 0.5$
improves axisymmetric-neoclassical confinement





Power-Balance Solver (STP)

- Steady-state 1D Power balance solver for T_e and T_i , assumes edge boundary condition and density profile
- Transport model includes full transport matrix, combines
 - ‘Shaing-Houlberg’ helical neoclassical transport
 - Nemov-Kernbichler calculation of effective helical ripple (correct for $1/\nu$ regime)
 - Axisymmetric (toroidal) neoclassical transport (Chang-Hinton)
 - Anomalous transport models (Lackner-Gottardi, Mixed-shear,...)
- Self-consistent calculation of E_r from helical transport
- Neutral-beam deposition in axisymmetric shape
- Can constrain confinement to global scaling law (with multiplier)
- Benchmarked with Monte-Carlo, including E_r calculation

Monte-Carlo Self-Consistent E_r

J. Lewandowski(PPPL), A. Boozer, J. Williams (Columbia)

- toroidal component of the momentum-balance equation gives

$$\frac{dQ}{dt} - \left\langle \frac{dL_\phi}{dt} \right\rangle = S(E_r)$$

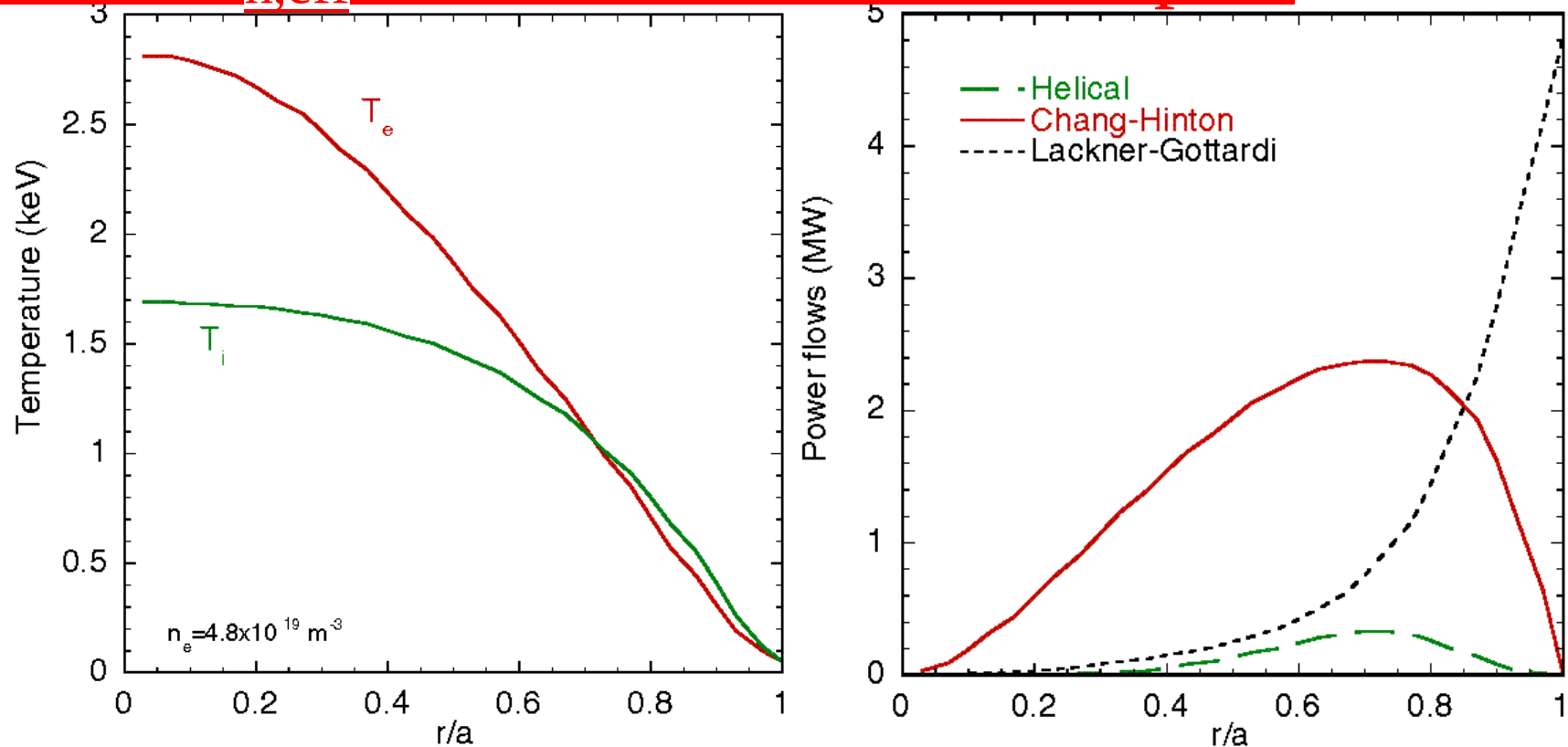
- where Q is the charge within a surface, L_ϕ is the canonical toroidal momentum, and S is the toroidal viscous force. In Boozer coordinates,

$$S = \frac{1}{2} \left\langle \partial_\phi (p_\parallel + p_\perp) \right\rangle$$

- Directly calculate S in a δf simulation for each species as a function of E_r , solve for where charge fluxes balance.
- Avoids noisy simulated fluxes

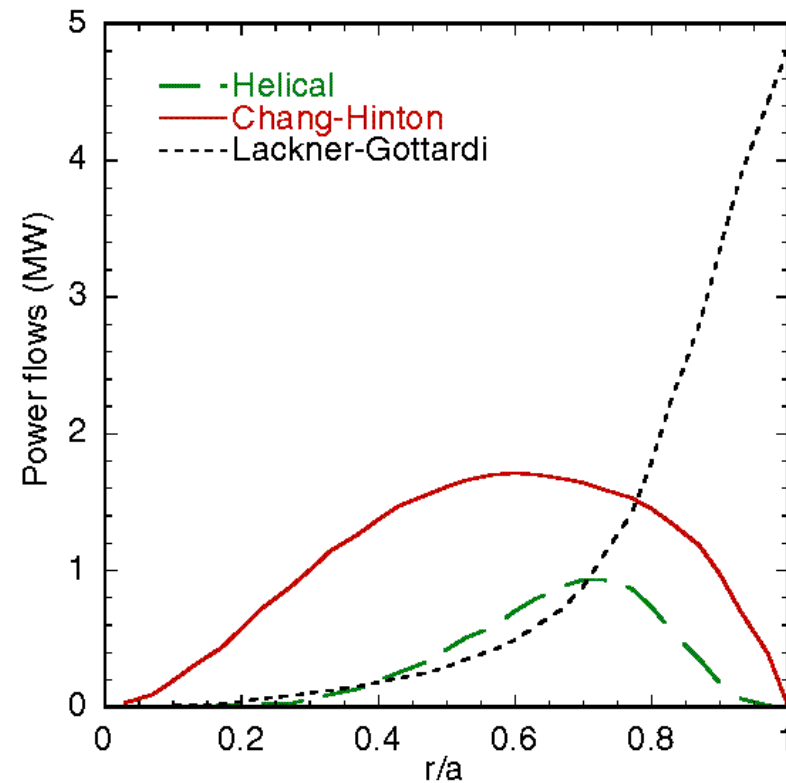
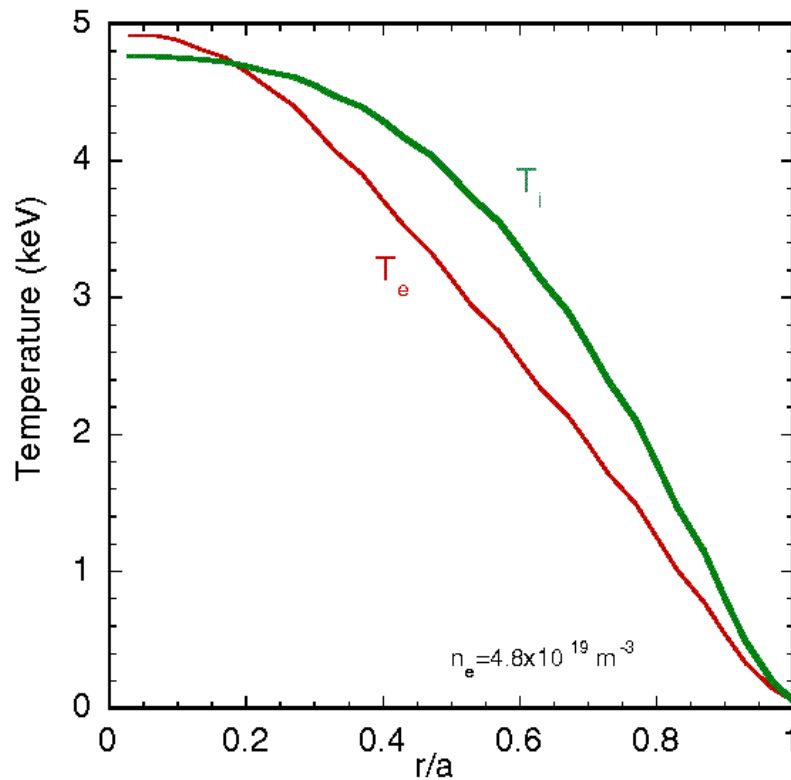
See Lewandowski, Poster DP1.133

Low $\epsilon_{h,eff} \Rightarrow$ Low Helical transport



- STP; Assume $B=1 \text{ T}$, $P_{\text{heat}}=5 \text{ MW}$, $R=1.75\text{m}$, $H_{\text{ISS95}}=2.6$ ($H_{\text{ITER-89P}}=1.1$)
 $\Rightarrow \beta = 4\%$, $\nu^* \sim 0.25$
- Helical transport is sub-dominant with self-consistent E_r
- Can access $\beta = 4\%$ at high density with $H_{\text{ISS95}} = 1.7$
- Can add up to 6MW of ICRF if needed to access high beta.

B = 2T Allows Low Collisionality

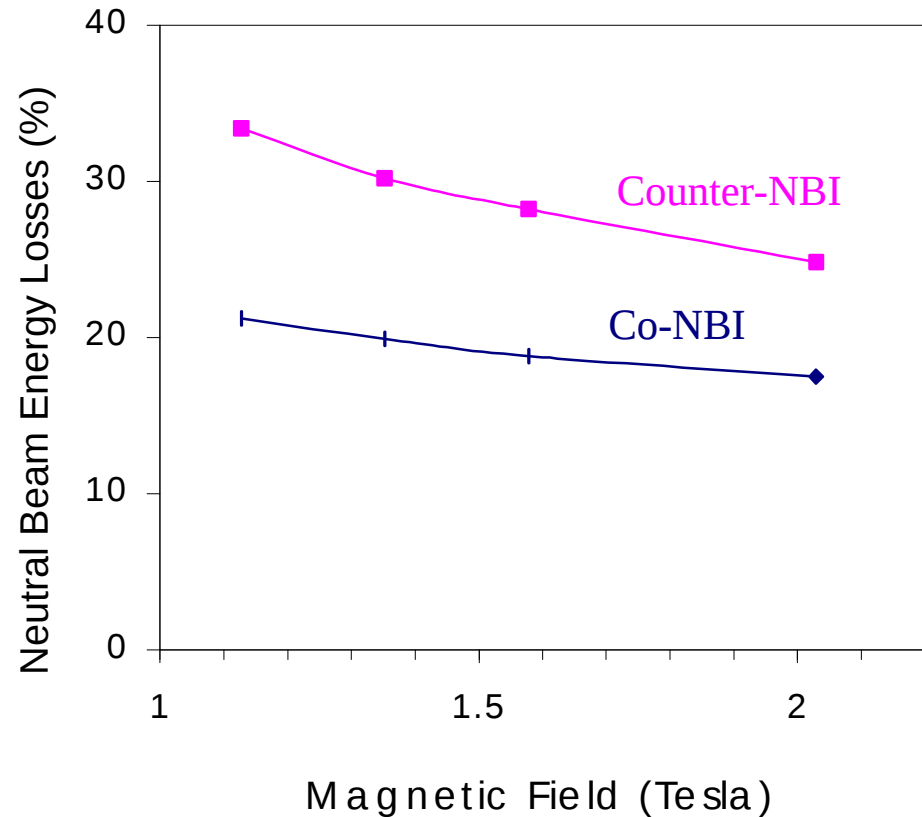


- Helical transport is still sub-dominant
- Assume $H_{\text{ISS95}} = 2.6$, $P_{\text{heat}} = 5 \text{ MW} \Rightarrow v^* \sim 0.04$, $\beta = 1.7\%$
 $H_{\text{ITER-89P}} = 0.95$

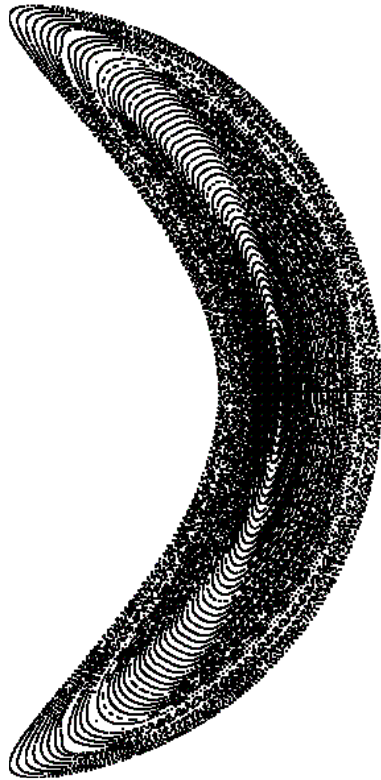
Allows study of plasmas with reactor-like collisionality

New Configurations Allows Counter-NBI

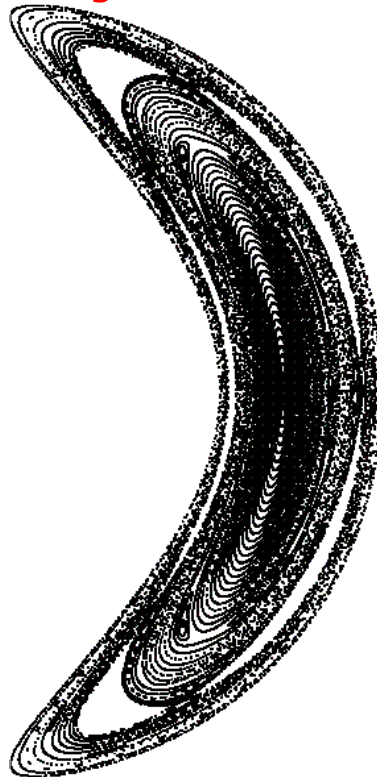
- Gives control of NBCD, Including ability to avoid it
- Mixed co- and counter-NBI would give rotation control
- Assumed tangent to mag.-axis at oblate cross-section



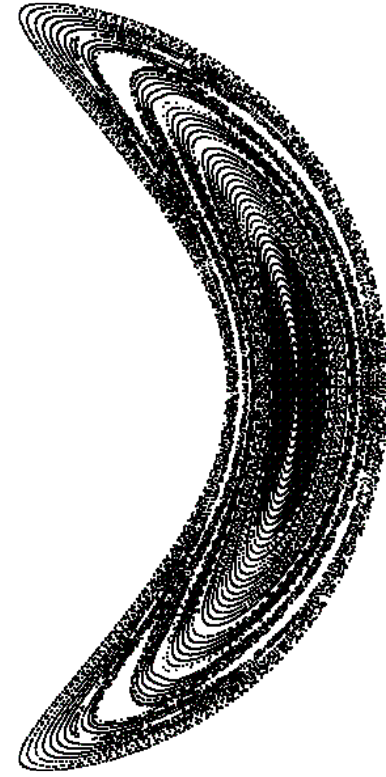
Flux-surface Quality: Startup looks Ok



Vacuum



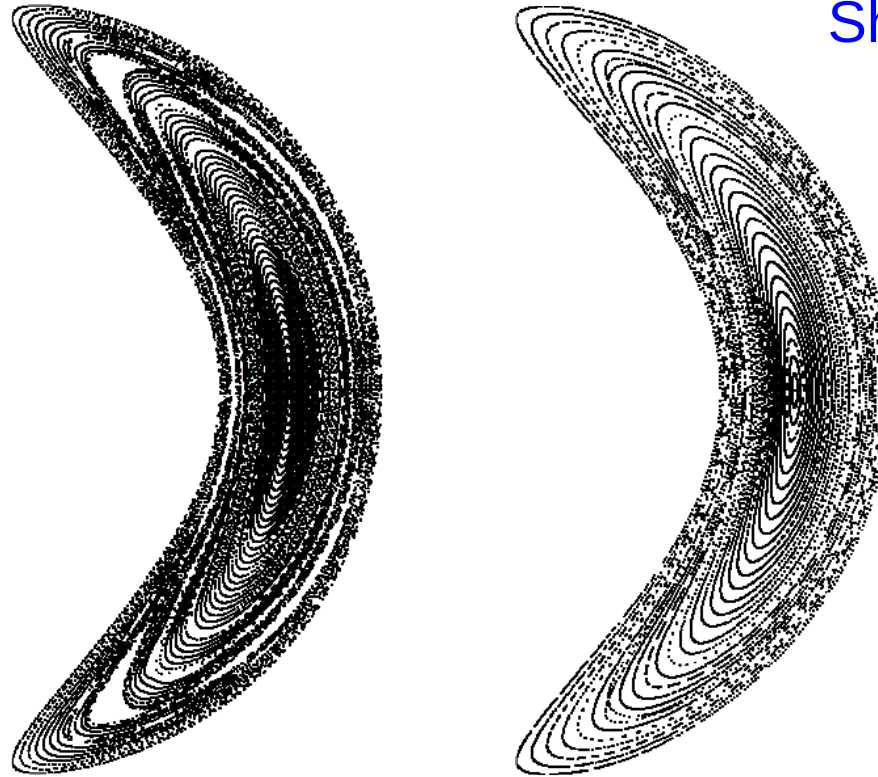
Full current, $\beta=0$ target



Full current, $\beta=4.2\%$

- Fixed boundary PIES equilibria. See Monticello et al, Poster HP1.027
- Large island at $\iota=0.6$, $w/a \sim 0.13$ for $\beta=0$, $w/a \sim 0.1$ for $\beta=4.2\%$
Neoclassical effects reduce it to effectively $< 3\%$ at full β
- Time-dependent startup modeling: See Lazarus et al. Poster HP1.031

Island removal method



Shape Perturbations

$\delta r(n,m)$

(3,4) : 4.2 mm

(3,5) : 1.4 mm

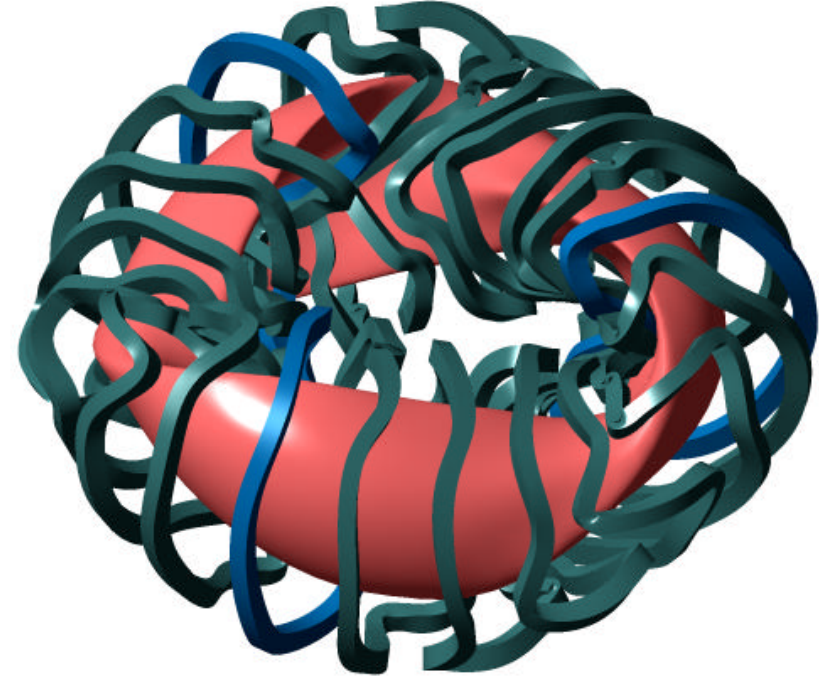
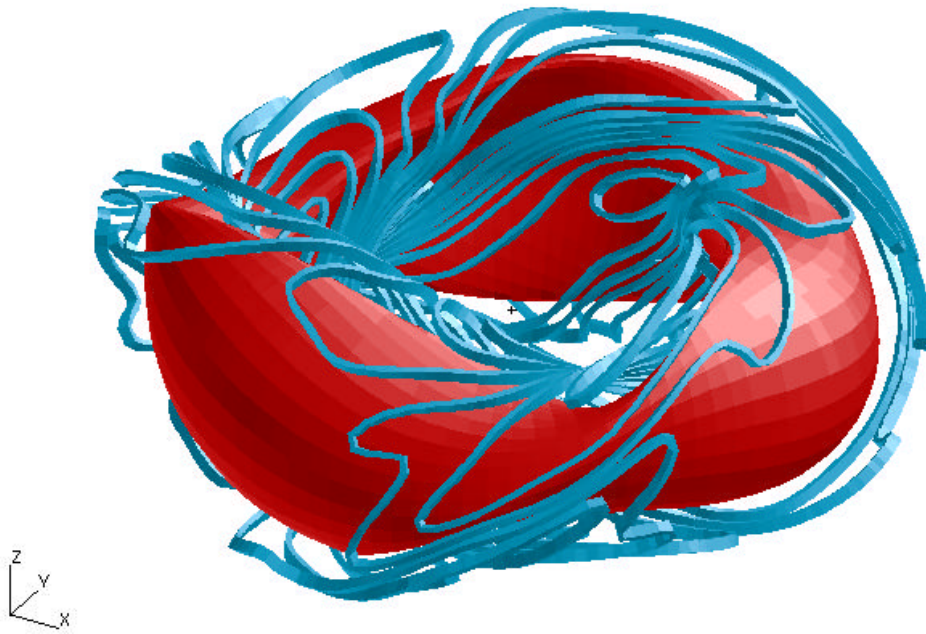
(3,6) : 3.2 mm

(3,7) : -1.1 mm

See Hudson et al.
Poster HP1.028

- Calculate coupling between plasma boundary shape and island widths by perturbation, using PIES
- Invert coupling matrix to find shape modification to remove islands
- Modification has no effect on calculated stability or transport

Multiple Coil Designs Offer Opportunity



- Optimized saddle coils for 3D field
- + PF + TF coil sets

- Optimized modular coils for 3D field
- + PF + weak TF coil sets

• Which gives better flexibility? Better flux surfaces?
Better access? Analysis underway

See Valanju et al, Poster HP1.034 & Berry et al, Poster HP1.035

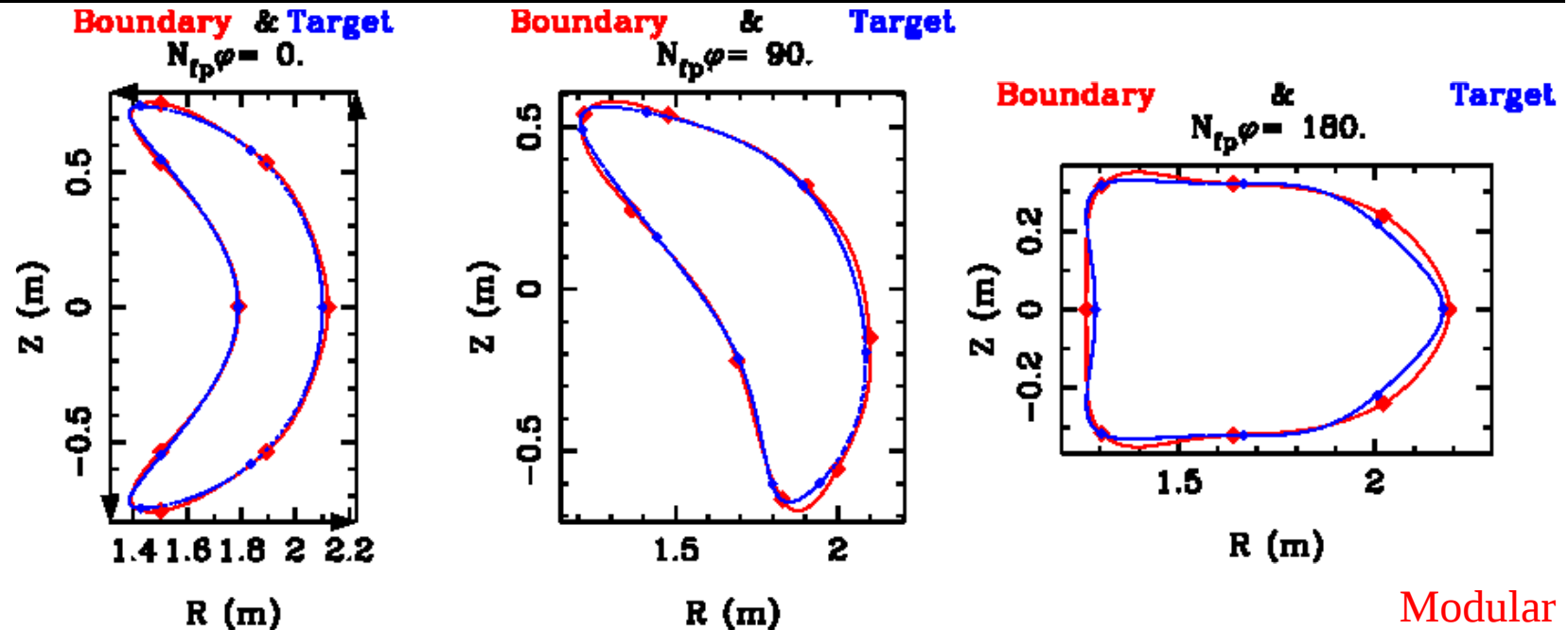
Coil Flexibility Analysis

- Reconstruction of good flux surfaces from coils
 - Reconstruction of original physics properties from coils
 - Stability and transport
 - Flexibility and Robustness of coils
 - Ability to accommodate different pressure and current profiles
 - Ability to vary iota profile and 3D geometry to study 3D plasma physics
- Free-boundary optimizer: vary coil currents to reconstruct plasmas with desired physics properties

See Hatcher et al, Poster HP1.031

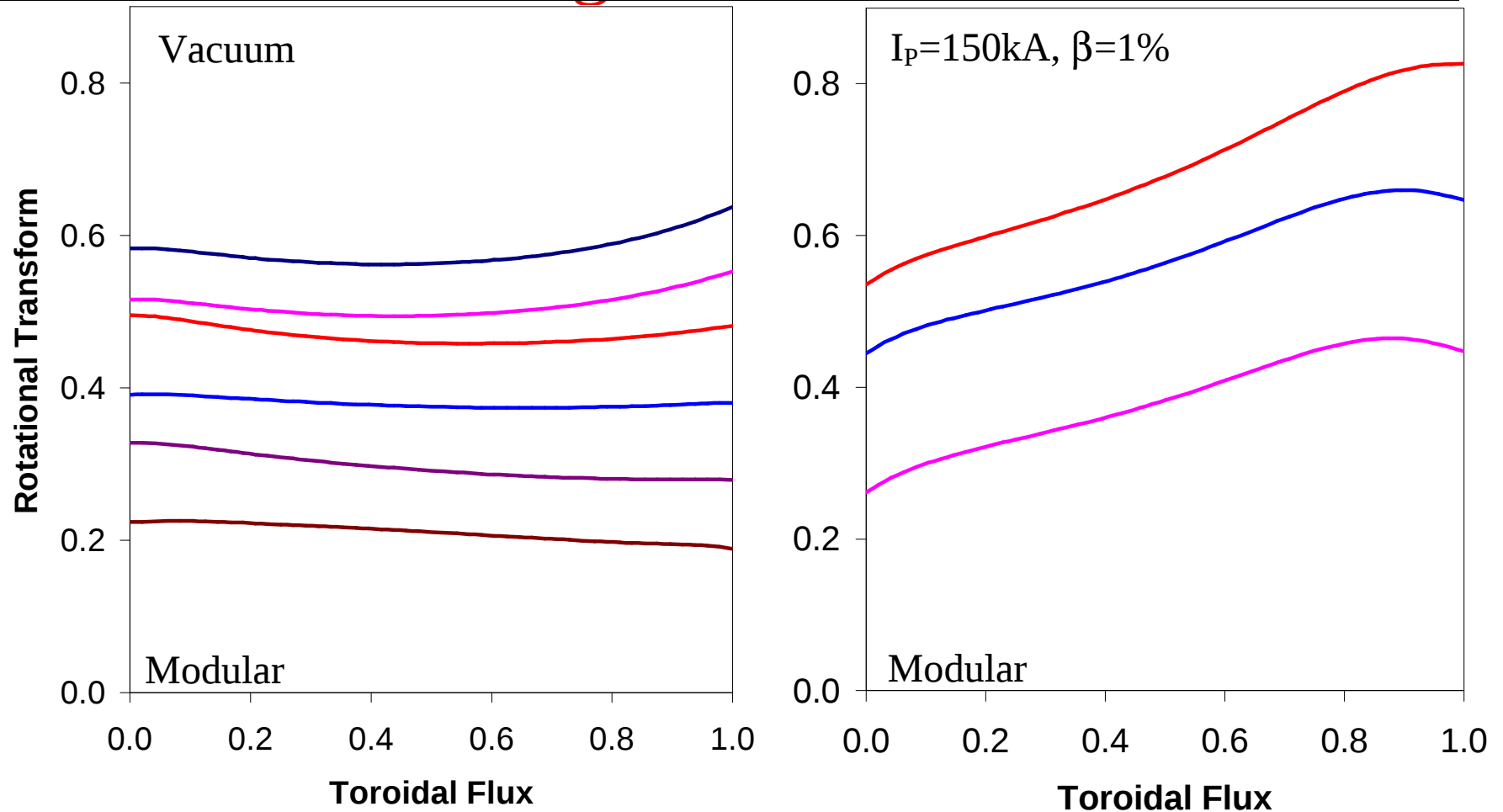
- Initial Results indicate good robustness and flexibility

Modular Coils Reconstruct Target Physics



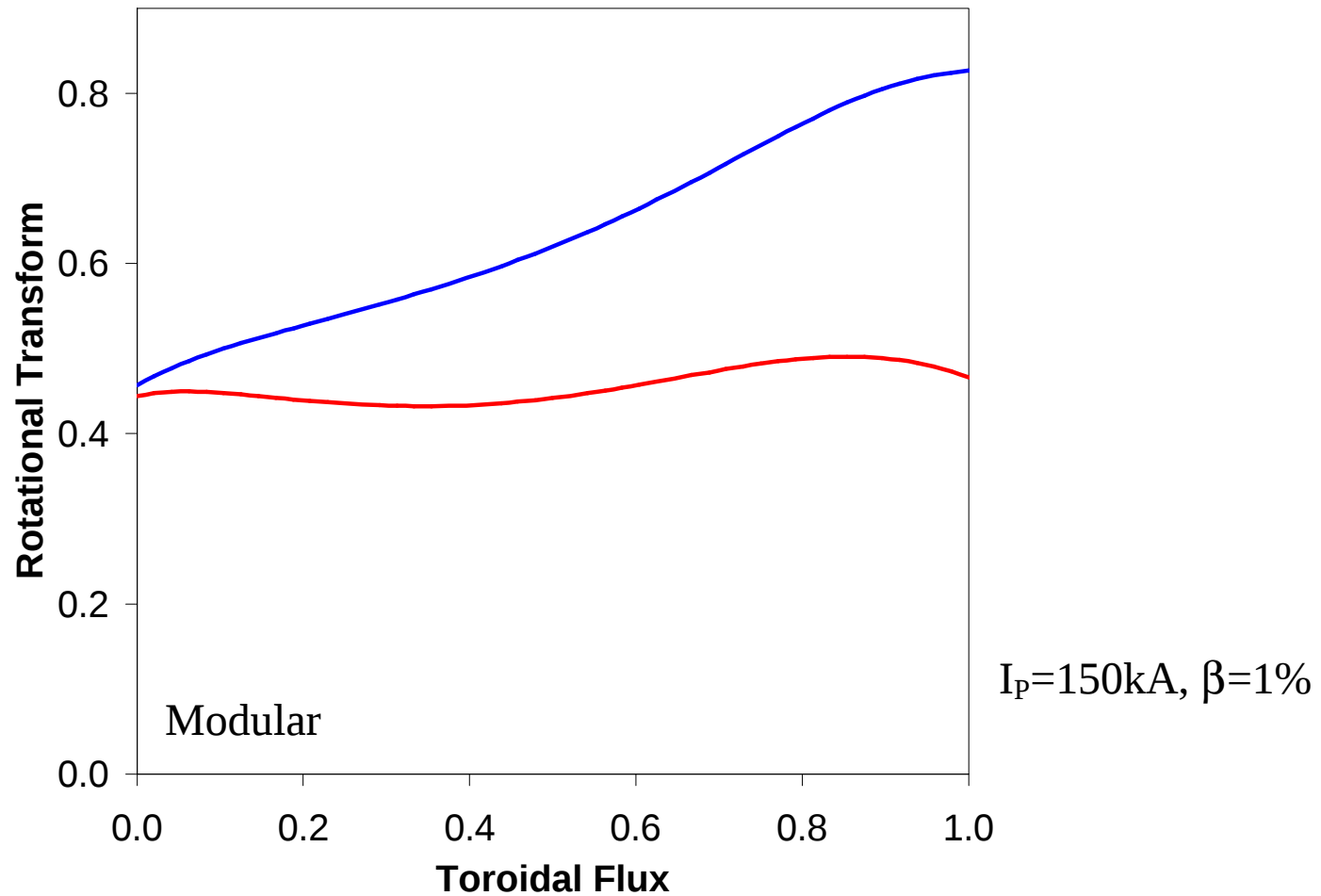
- Discrete coils cannot reproduce original shape precisely, due to engineering constraints
- Free-boundary optimization adjusts coil currents (and thus plasma shape) to recover physics properties
 - Reconstructed plasma is kink, ballooning, vertical, neo-tearing stable. Mercier is marginally stable (unstable at edge, not targeted in optimization)
 - $\epsilon_{h\text{ eff}}$ is higher than fixed-boundary by $\sim 30\%$
- Stable saddle coil reconstructions have $B(m, n \neq 0)$ components higher by factor 2 – 3, so far.

Wide Range of Iota Available



- Can avoid edge $\text{iota} = \frac{1}{2}$ resonance

Even Shear can be Varied



Divertor/Limiter Investigation Begun

- Working group formed (LLNL, ORNL, PPPL, UCSD, IPP-Garching)
- Initial requirements for divertor/limiter established
- MFBE code (E. Strumberger) has been imported from Garching, operating at NERSC, maps field lines outside VMEC equilibrium
- Plan:
 - Use MFBE to establish magnetic topology of edge region
 - Develop range of limiter/divertor options
 - Integrate a range of options into configuration

See A. Grossman et al, Poster HP1.033

Conclusions

- Attractive configuration has been identified
 - passive stability to kink, ballooning, vertical, Mercier, neoclassical tearing to $\beta > 4\%$
 - no need for conducting walls or feedback systems
 - very good quasi-axisymmetry
- Coil designs appear flexible, can reproduce physics goals
- Basis for exciting and flexible experiment
 - Test our understanding of compact 3D confinement

